775 Ball Bearing DC Motor

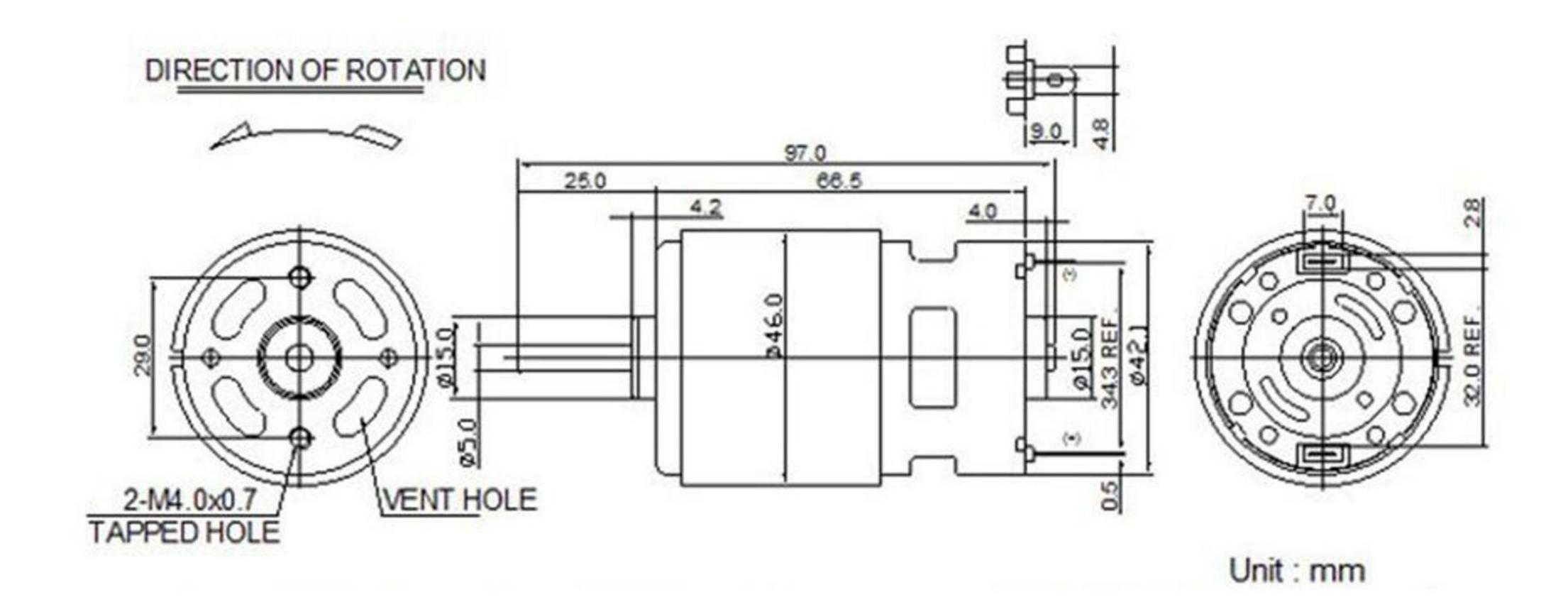
Ball bearing DC motor with built-in cooling fan. High torque with wide operating voltage 6~20Vdc. Suitable for motor tools application and DIY projects.

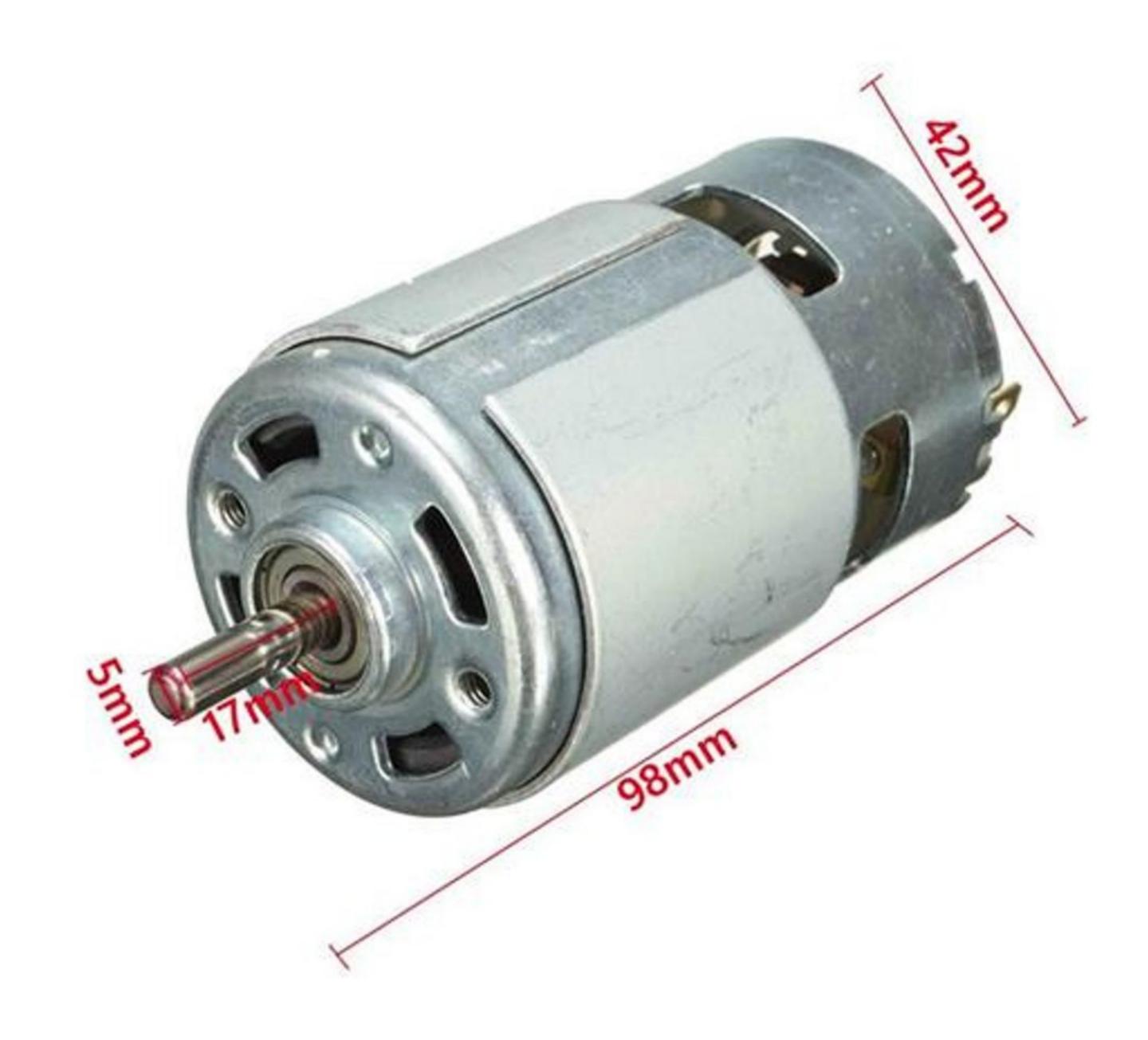


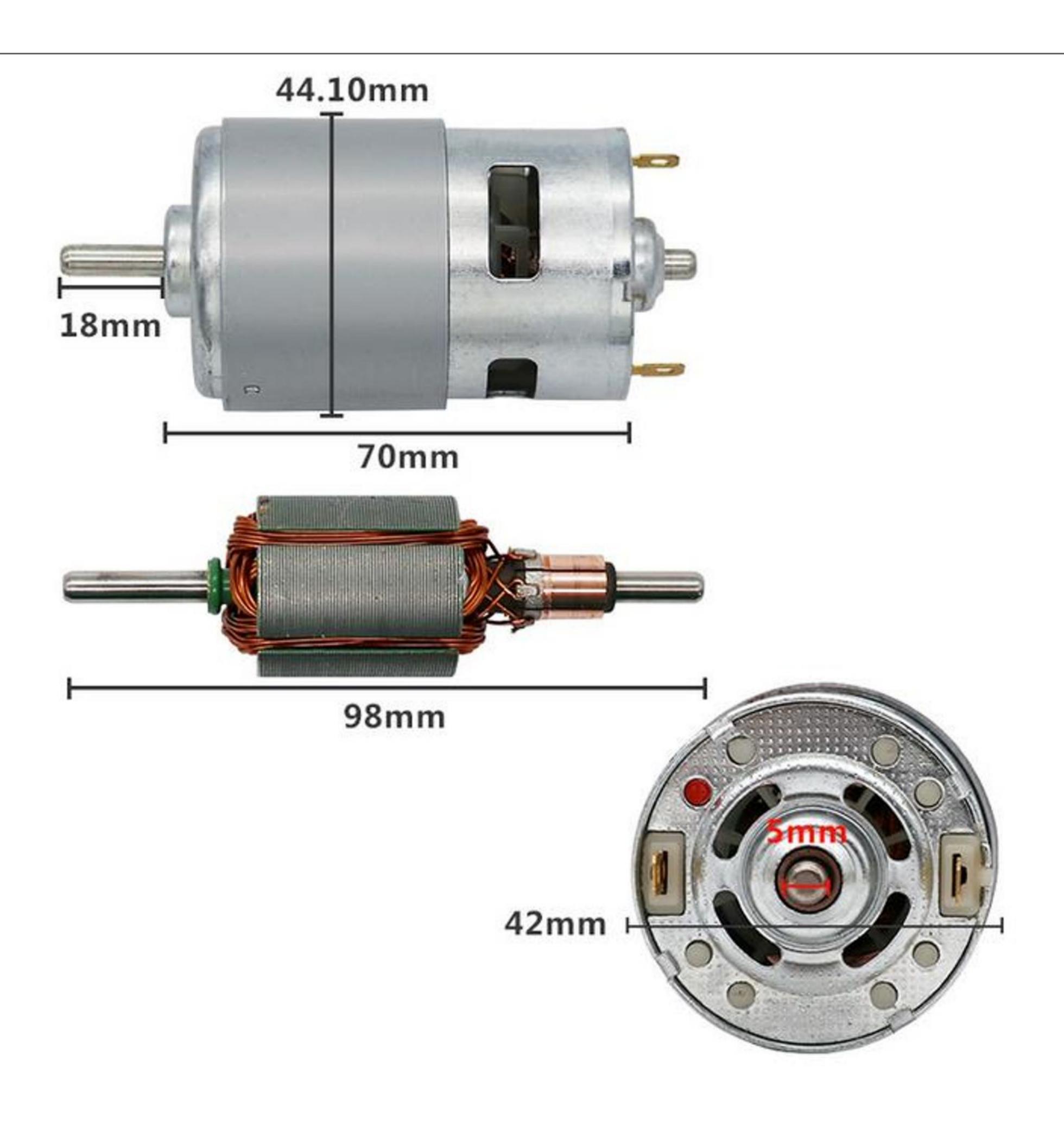
Specifications:

- Motor Type: 775.
- Operating Voltage: 6~20Vdc. (Nominal 12Vdc)
- No Load Speed: 12,000 RPM @ 12V.
- Rated current: 1.2A @ 12V.
- Stall Torque: 79Ncm @ 14.4V.
- Cooling Fan: Internal
- Overall Size: 98x42mm.
- Shaft: Full Round Type Ø5mm.
- Mounting Screw Size: M4.
- Weight: 350g.

Mechanical Dimension:









Application Note: Useful Motor/Torque Equations

Force (Newtons)

 $F = m \times a$

m = mass (kg)

a = acceleration (m/s2)

Motor Torque (Newton-meters)

 $T = F \times d$

F = force (Newtons)

d = moment arm (meters)

Power (Watts)

 $P = I \times V$

I = current (amps)

V = voltage (volts)

 $P = T \times \omega$

T = torque (Newton-meters)

 ω = angular velocity (radian/second)

Unit Conversions

Length (1 in = 0.0254 m)

Velocity (1 RPM = 0.105 rad/sec)

Torque (1 in-lb = 0.112985 N-m)

Power (1 HP = 745.7 W)

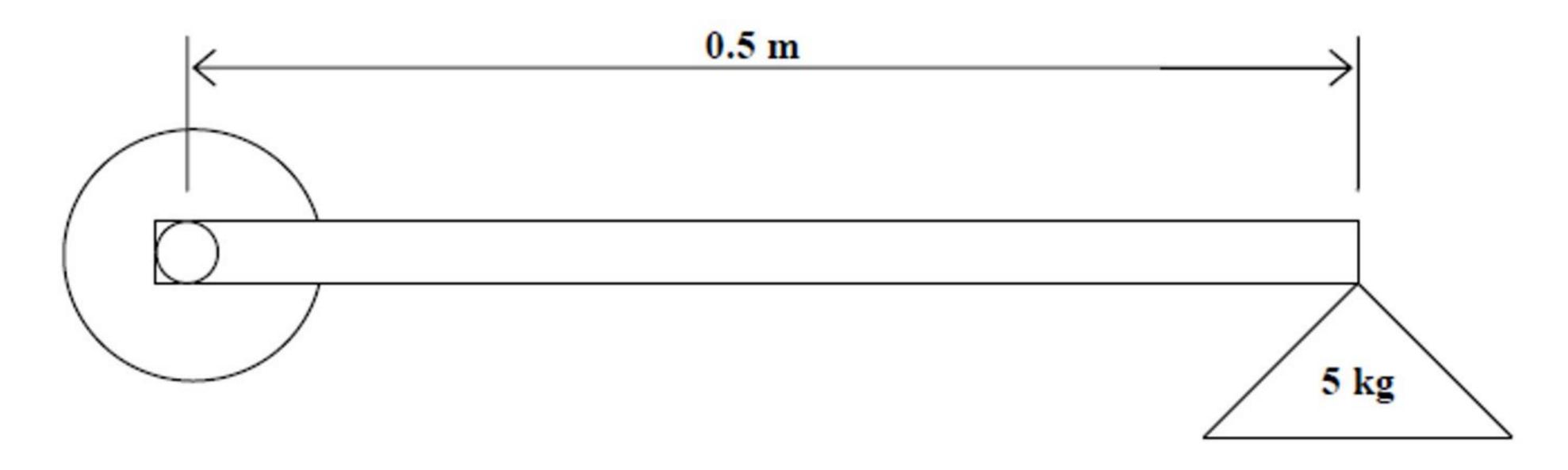
Example 1

Determine if the following motor can be used to lift a 5-kg load using a 0.5-m lever arm.

Merkle-Korff Gearmotor specifications

Stall Torque = 40 in-lb

Stall Current = 3.5 amps



Solution

Convert Stall Torque from in-lb to N-m

1 in-lb = 0.112985 N-m

 $40 \text{ in-lb} = 40 \times 0.112985 \text{ N-m} = 4.5194 \text{ N-m}$

Calculate the Force required to lift the 5-kg load

 $F = m \times a = 5 \text{ kg} \times 9.81 \text{ m/s}2 = 49.05 \text{ N}$

Calculate the Torque required to lift the Force with the lever arm

 $T = F \times d = 49.05 \text{ N} \times 0.5 \text{ m} = 24.525 \text{ N-m}$

We cannot perform the lift with this set-up, because the stall torque is smaller than the torque required for the lift. We must either shorten the length of the lever arm, or we must choose another motor with a higher stall torque to perform this operation.

Example 2

Using the same motor as in Example 1 with a 12-V power supply:

- a) Calculate the power used by the motor to rotate a 5-kg load at 50 RPM using a 3-inch lever arm.
- b) Calculate the current draw from the battery to perform this operation.

Solution

Convert inches to meters:

1 in = 0.0254 m

3 in = 0.0762 m

Calculate the Force required to lift the 5-kg load:

 $F = m \times a = 5 \text{ kg} \times 9.81 \text{ m/s} = 49.05 \text{ N}$

Calculate the Torque required for this operation:

 $T = F \times d = 49.05 \text{ N} \times 0.0762 \text{ m} = 3.738 \text{ N-m}$

Note- This toque is lower than the motor's stall torque, so this operation is possible using the specified motor, mass, and lever arm

Convert RPM to radians/second:

1 RPM x 2π rad/rev x 1 min/60 sec = 0.105 rad/sec

 $\omega = 50 \text{ rev/min x } 0.105 \text{ rad/sec/RPM} = 5.25 \text{ rad/sec}$

Calculate the Power required for this operation:

 $P = T \times \omega = 3.738 \text{ N-m} \times 5.25 \text{ rad/sec} = 19.622 \text{ W}$

Calculate the Current draw from the battery (use the supply voltage in this calculation):

I = P/V = 19.622 W/12 V = 1.635 Amps

Note- This current is smaller than the maximum allowable current draw of the motor.

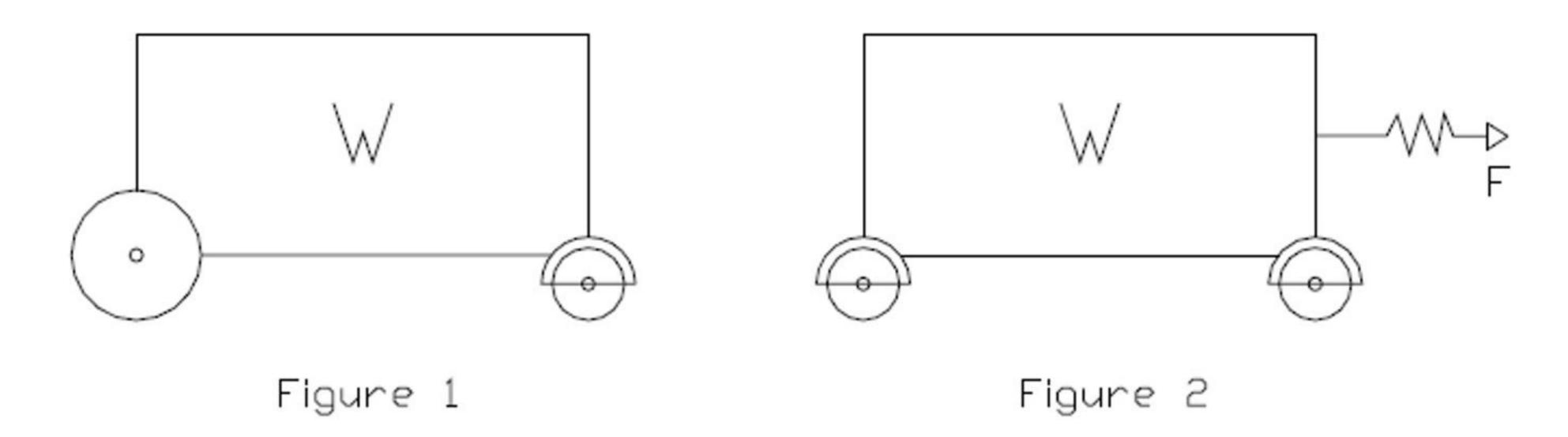
Example 3

Determine the motor torque necessary to power the robot drive wheels.

Solution

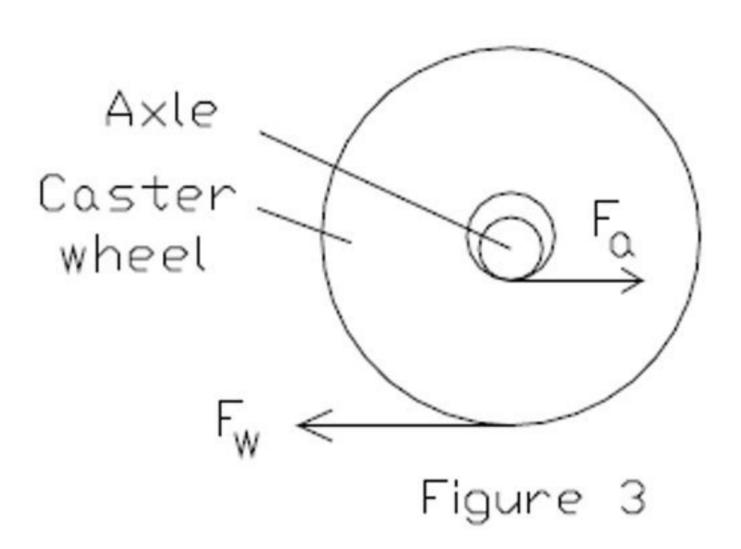
The following approach is merely one way to solve this problem. Several exist.

Assume the robot will be powered by two powered drive wheels and supported by two freely rotating caster wheels. Robot weight is denoted by W and for this simple example we'll assume the weight is distributed evenly over all 4 wheels, as shown in Figure 1 below.



Thinking logically about the problem, we could model the robot as having 4 of the identical caster wheels (Figure 2) and the force required to propel the robot is simply the force needed to start the robot moving (this could be measured empirically with a force scale). The problem is we haven't yet built the robot so testing it in this manner is not an option. We need to calculate the force (and hence motor torque) required to move the robot **before** we build anything.

Looking closer at the caster wheel we can see the actual friction that must be overcome to put the robot in motion. Fw is the friction force between the wheel and the floor and Fa is the friction force between the wheel and the axle. Tw and Ta are the respective torques between the wheel and floor and the wheel and axle.



$$Fa = W/2 * \mu a$$

$$Ta = Fa * Ra$$

$$Fw = W/2 * \mu w$$

$$Tw = Fw * Rw$$

Tw is the *maximum* torque the wheel can transmit to the ground before it slips.

Our goal is to find a realistic range for Tm, the motor torque.

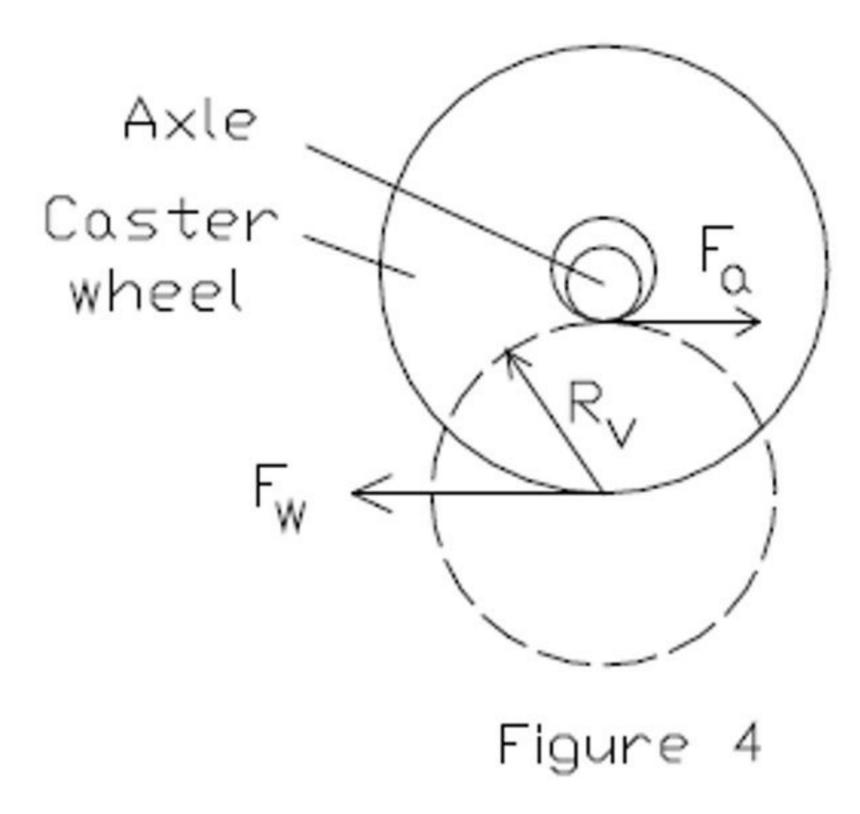
As calculated above, Tw would be the *maximum* amount of torque the motor could transfer to the ground before the wheel begins to slip (ie Tm, max).

Typically, we desire $\mu w > \mu a$, so the wheel does not slip/slide across the floor, but rather rolls. We can easily look up the μa value for the axle/wheel materials in contact. Knowing μa and the weight of the vehicle, Fa can be computed. This is the *minimum* amount of force we would have to provide at the wheel/axle interface to overcome the friction between the two. To relate the computed axle force Fa to the *minimum* amount of

wheel torque required to move the robot, we would use the "virtual radius" of the wheel/axle combination, which is computed as follows:

$$Rv = Rw - Ra$$

This is the fictitious radius about which Fa would act to rotate the wheel about the tangent point in contact with the ground at any instant, as shown in Figure 4 below.



Therefore our equation for the *minimum* amount of torque the motor must transfer to the ground before the wheel begins to roll (thus causing the robot to move) would be:

$$Tm (min = Fa * Rv = Fa * (Rw - Ra)$$

In summation, Tm, $\min \le \text{Tm} \le \text{Tm}$, $\max \text{ or alternatively, Fa * } (\text{Rw} - \text{Ra}) \le \text{Tm} \le \text{Fw * Rw}$